

# Enthalpies of liquid–liquid mixing in the systems Cu–Ag, Cu–Au and Ag–Au by using an in-situ mixing device in a high temperature single-unit differential calorimeter

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Received 27 April 1999; accepted 8 June 1999

### **Abstract**

The enthalpies of mixing of the binary liquid alloys of copper with silver, copper with gold and silver with gold have been re-determined using a new in-situ mixing technique at  $1375 \pm 2$  K. In this paper we report the following analytical expressions for  $\Delta H_{mix}$ , derived from the experimental results:

 $Cu-Ag: \Delta H_{\text{mix}} = X_{Cu}X_{Ag} (16,959 - 7,620X_{Ag} + 4,287X_{Ag}^2)$  J/mol  $Cu-Au: \Delta H_{\text{mix}} = X_{\text{Cu}}X_{\text{Au}}(-29,506 - 2,616X_{\text{Au}} + 9,360X_{\text{Au}}^2)$  J/mol  $Ag-Au: \Delta H_{\text{mix}} = X_{Ag}X_{Au}(-16,803 - 3,233X_{Au} + 4,525X_{Au}^2)$  J/mol

We note that in all of these systems the enthalpy interaction parameter is described by a nonlinear relation to the composition. These new results are compared with earlier data of Kleppa and Watanabe [O.J. Kleppa, S. Watanabe, Met. Trans. 13B (1982) 391–401] and of Topor and Kleppa [L. Topor, O.J. Kleppa, Met. Trans. 15A (1984) 203–208], obtained by dropping one of the two components into the high-temperature calorimeter from room temperature.  $\oslash$  1999 Elsevier Science S.A. All rights reserved.

*Keywords*: Enthalpy of mixing; Copper liquid alloys; Silver liquid alloys; Gold liquid alloys; High temperature in-situ mixing calorimetry

important thermochemical information for industry and for major disadvantages of this technique are well known: In theoretical studies in physics, chemistry and metallurgy. In order to obtain the liquid–liquid heat of mixing, it is the past years a large number of heat of mixing data have necessary to correct for the heat content of the solid metal. been determined experimentally and published in the This correction is usually a large quantity, and is often a literature. As far as the liquid alloys Cu–Ag, Cu–Au and value cited from a handbook (e.g., Hultgren et al. [3]). In Ag–Au are concerned, due to the then important dis- this case, in addition to the experimental errors in the crepancies in the pertinent published thermochemical data, calorimetric measurements, any errors in the cited heat Kleppa and Watanabe [1] and Topor and Kleppa [2] contents will transfer to the measured heats of mixing. carried out a systematic reinvestigation of these alloys in Moreover, at high temperatures the heats of mixing are the early 1980s. During this reinvestigation the basic usually relatively small quantities compared to the heat technique adopted was to drop one solid metal from room contents. Hence, no matter whether the enthalpy of mixing temperature into a calorimeter which was maintained at is positive or negative, when a solid metal is introduced

**1. Introduction** high temperature. In this calorimeter it was mixed with the other metal which was present in the liquid state. We may Enthalpy of mixing data for binary systems provide call this technique the ''solid drop'' mixing technique. The from room temperature to mix with a different liquid metal \*Corresponding author. at high temperature, the result will usually be a large



O.D. thin wall stainless steel tube. Part  $\#2$ : alumina tube. Part  $\#3$ : boron can be set in two positions by a special mechanism nitride (BN) protective ring. Part  $\#4$ : BN extension sleeve. Part  $\#5$ : maintained at nitride (BN) protective ring. Part #4: BN extension sleeve. Part #5:<br>inconel tip connecting the stainless steel tube and the boron nitride hollow<br>plug. Part #6: tungsten wire. Part #7: movable BN hollow plug. Part<br>#8: BN  $#8: BN$  outer crucible. Part  $#9: immovable BN$  collar. Part  $#10: BN$ inner (reaction) crucible. and ''lower'' positions of the hollow plug. It can be

endothermic change in enthalpy. Because the difference between this observed enthalpy change and the large heat content correction is the targeted enthalpy of mixing, the calculated enthalpy of mixing may be associated with a large experimental uncertainty.

To overcome these disadvantages we report in this paper on a new technique, which is designed to allow two liquid metals to be mixed in-situ at high temperatures in our single-unit differential micro-calorimeter [4]. We may call this new technique an ''in-situ'' mixing technique.

The unique structure of our calorimeter, which has a 20 mm I.D. Pt20Rh liner, provides a big enough space to make room for a specially designed in-situ mixing device (see Fig. 1). With this device, the in-situ mixing can be completed in a two step process. In the first step, a solid metal sample is dropped from room temperature into the BN hollow plug (Part  $\#7$ ) in the calorimeter. At this time the hollow plug is in the ''upper'' position and the solid metal melts at the calorimeter temperature. In the second step, this melted metal is introduced into the BN crucible (Part  $\#10$ ) in the calorimeter, where it mixes with the other liquid metal. In this second step the heat of mixing is measured. The principles and usefulness of this new technique will be demonstrated in this paper by measuring the enthalpies of mixing of the three binary alloys Cu–Ag, Cu–Au and Ag–Au at  $1375 \pm 2$  K. The results will be compared with the previous values reported by Kleppa and Watanabe [1] and by Topor and Kleppa [2], all obtained by the ''solid-drop'' technique.

# **2. In-situ mixing device and experimental procedures**

### 2.1. *In*-*situ mixing device*

The in-situ mixing device is schematically shown in Fig. 1. Inside the 20 mm I. D. Pt20Rh liner we place the outer boron nitride (BN) protective crucible (Part  $\#8$ ) with the BN extension (Part  $\#4$ ). This BN extension is closed at the top by the BN ring (Part  $\#3$ ). This ring is designed to prevent zirconium getters to slide into the outer BN crucible (Part  $\#8$ ) along the alumina tube (Part  $\#2$ ).

In the bottom of the outer BN crucible there is an inner BN crucible (Part  $\#10$ ), in which the actual mixing of the two liquid metals takes place. Sitting on top of the inner BN crucible are two parts; both are crucial for the in-situ mixing. Part  $\#9$  is an immovable BN collar, while Part  $\#7$ is a movable BN hollow plug. This hollow plug is closed at the bottom, but has an opening in its wall close to the bottom. The plug can be moved up and down readily by Fig. 1. Schematic diagram of the in-situ mixing device. Part  $\#1$ : 6-mm raising and lowering the stainless steel tube (Part  $\#1$ ). It

inferred from Fig. 1 that in the upper position the opening form a ring surrounding the plug. This creates a locally of the hollow plug is closed. In this position it retains a asymmetrical environment within the symmetrical strucliquid metal. In the lower position the retained liquid metal ture of the calorimeter. Obviously, this is a significantly is allowed to flow into the inner crucible (Part  $\#10$ ). The different situation from what happens when the actual stainless steel tube, which guides samples into the hollow mixing is carried out. The actual mixing takes place plug when they are dropped into the calorimeter from without the hollow plug located near the bottom of the room temperature, is attached to the hollow plug (Part  $\#7$ ) inner crucible. Hence, the liquid metals are mixed in the by a piece of tungsten wire (0.58 mm in diameter) (Part central area of the crucible. In order to eliminate this  $#6$ ). This tungsten wire is kept in position through two problem we prepared a special plug which is otherwise small holes through Part  $\#7$  and a groove in the inconel identical to the hollow plug, but has an open bottom. This tip (Part  $\#$ 5) of the stainless steel tube. The hollow plug special plug is used for calibration only. With this special also functions as a stirrer. plug, calibrations may be carried out when the plug is set

of the calorimeter is achieved by dropping pieces of high This comparison indicated that the latter was numerically purity copper wire of known mass from room temperature larger than the former by more than 4%. At the same time, into the calorimeter at high temperatures. The enthalpy of the latter also was associated with a much smaller uncerpure copper at high temperatures is taken from Hultgren et tainty than the former. al. [3]. The calibrations are reproducible within  $\pm 1\%$ .

However, when we tried to calibrate our calorimeter 2.3. *Experimental procedures* with the in-situ mixing device we encountered two problems. The first problem is associated with the mass of the For mixing experiments, one of the two metals must be preexisting metals in the crucible. This problem may be pre-placed in the inner crucible of the calorimeter. Before explained as follows. Our routine calibration starts with an each series of calorimetric experiments, including the empty inner crucible and the accumulated mass of copper calibrations, the liner is flushed at room temperature for which is dropped into the calorimeter is usually quite small about 1 h in a stream of purified argon gas. The liner is  $(< 1 g$ ). For this reason, we never tried to determine the then carefully inserted into the calorimeter at 1375 $\pm 2 K$ , calibration factor as a function of the accumulated mass of and is maintained there overnight to attain thermal equilibcopper in the crucible. However, when we measure heats rium. At this temperature, the metal in the inner crucible is, of mixing, the situation is different. The experiments of course, in the liquid state. usually start with a significant amount of one liquid metal The measurements are carried out in the inert atmosin the crucible and thus end up with more mass accumu-<br>phere of argon. This gas was purified by passing it through lated in the crucible. In this case, our first concern was to a silica tube full of sponge titanium chips, maintained at find out whether there was a noticeable dependence of the about 1173 K. This eliminates possible trac calibration factor on the mass of metal in the crucible. To and nitrogen in the argon gas. solve this problem, a series of comparisons were made The copper metal used in our experiments was OFHC of between the calibration factors obtained with an empty 99.99% purity (metal basis), in the form of 2-mm diameter starting crucible and the calibration factors measured with wire. The silver used was electrolytic silver shots of a partially filled (3–6 g of liquid Cu) starting crucible. 99.92% purity (metal basis). The 2-mm diameter wire of These comparisons showed that within our experimental gold was purchased from Engelhard, and was 99.99% pure errors there was no detectable difference between these (metal basis). calibration factors. The mixing experiments were initiated by dropping the

dropped into the calorimeter, the liquid copper will not liquid metal in the plug is introduced into the inner

in its upper position. A comparison was made between the 2.2. *Calibration* calibration factors obtained from experiments with the hollow plug in the lower position and the calibration In our routine direct synthesis experiments, calibration factors obtained with the special plug in the upper position.

about 1173 K. This eliminates possible traces of oxygen

The second problem is associated with our in-situ sample of the solid metal from room temperature into the mixing device itself. With this device calibrations have to hollow plug of the mixing device in its upper position in be done with the hollow plug set in its lower position. the calorimeter. Here the solid metal melts and attains the Otherwise, copper pieces cannot be dropped into the calorimeter temperature. During this period, the heat crucible. In the lower position the plug is located close to content of this solid metal could be measured if the the bottom of the inner crucible. This not only significantly calorimeter had been calibrated in this position before. reduces the volume for receiving copper pieces in the inner Then, the hollow plug is lowered to its lower position to let crucible, but it also forces copper pieces to move to the the liquid metal be introduced into the inner crucible, side to fill in the narrow gap between the plug and the where it is mixed with the other metal. To promote the crucible. Since the surface tension of liquid copper is quite mixing, we usually stir the liquid metal mixture by moving significant, even after six pieces of copper wire have been the plug up and down two times immediately after the

crucible. The heat generated from this stirring effect was<br>
Final results of enthalpies of mixing for Cu (liquid)+Ag (liquid) at<br>  $\frac{1375 \pm 2 \text{ K}}{1375 \pm 2 \text{ K}}$ correction for the heat of stirring could be made in our final calculations. After the stirring the hollow plug is raised to its upper position again and the heat of mixing of the two liquid metals is then measured.

The heat effect observed in the calorimeter can be assigned to the following reaction.

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n_1B(l, 1375K) = (n_1A + n_2B)(
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Here,  $n_1$  represents the number of moles of metal A which was placed in the inner crucible before each series of mixing experiments;  $n<sub>2</sub>$  is the number of moles of metal B which was dropped into the calorimeter at the beginning of each individual experiment.

# F18 47.8409 47.8409 0 0 **3. Results and discussions**

Our preliminary and final experimental results for the enthalpies of mixing of the liquid alloys  $Cu-Ag$ ,  $Cu-Au$ and Ag–Au are listed in Tables 1–6. The results are also F2<br>presented graphically in Figs. 2.4. In these figures our  $F^2$ presented graphically in Figs. 2–4. In these figures our new data are compared with previous calorimetric values  $F_2^2$ 

Preliminary results of enthalpies of mixing for Cu (liquid) + Ag (liquid)  $F2$ 

No	$n_{\rm Cu}$ (mmol)	$n_{\text{Ag}}$ (mmol)	$n_{\text{Cu}} + n_{\text{Ag}}$ (mmol)	$X_{\rm Ag}$ $(mol\%)$	$\Delta H_\text{mix}$ (J/mol)	F31 F32 F33	2.0820	23.2729 1.9487	31.2936 23.2729 25.2219	0.6999 1.0000 1.0000	2837 $\mathbf 0$ $\mathbf 0$
P <sub>1</sub>	47.6458		47.6458	$\Omega$	$\Omega$	F34	3.4447		28.6675	0.8798	1476
P2	1.6256		49.2714	$\Omega$	$\mathbf{0}$	F35	4.0821		32.7483	0.7702	2443
P <sub>3</sub>		2.5457	51.8171	0.0491	667	F36	5.4433		38.1917	0.6604	3052
<b>P4</b>		2.8414	54.6585	0.0986	1291	F37		23.2302	23.2302	1.0000	$\mathbf 0$
P <sub>5</sub>		1.2747	55.9332	0.1191	1519	F38		1.8745	25.1047	1.0000	$\boldsymbol{0}$
P <sub>6</sub>		1.9394	56.8726	0.1512	1825	F39	9.2893		34.3940	0.7299	2889
P7		2.6884	60.5610	0.1864	2164	F40	6.0964		40.4904	0.6200	3433
P8	40.4290		40.4290	$\overline{0}$	$\mathbf{0}$	F41	2.7980		43.2884	0.5799	3515
P <sub>9</sub>	1.4777		41.9067	0	$\mathbf{0}$	F42	6.9210		50.2094	0.5000	3640
P <sub>10</sub>		3.5265	45.4332	0.0776	1108	F43	8.6583		8.6583	$\mathbf{0}$	$\mathbf 0$
<b>P11</b>		2.9758	48.4090	0.1343	1785	F44	1.6020		10.2603	$\mathbf{0}$	$\mathbf 0$
P <sub>12</sub>		3.3911	51.8001	0.1910	2296	F45		10.2523	20.5126	0.4998	3523
P <sub>13</sub>		3.5098	55.3099	0.2423	2674	F46	8.1736		8.1736	$\overline{0}$	$\mathbf 0$
P14		2.9573	58.2672	0.2808	2902	F47	2.0332		10.2068	$\Omega$	$\mathbf 0$
P15		3.6062	61.8734	0.3227	3108	F48		10.2051	20.4118	0.5000	3518
P <sub>16</sub>		19.7720	19.7720	1.0000	$\overline{0}$	F49	10.1391		10.1391	$\overline{0}$	$\mathbf 0$
P17		1.9106	21.6826	1.0000	$\mathbf{0}$	F50	1.8931		12.0322	$\Omega$	$\mathbf 0$
P18	0.7742		22.4568	0.9655	463	F51		8.0255	20.0578	0.4001	3479
P <sub>19</sub>	1.1016		23.5584	0.9204	994	F52		4.0058	24.0636	0.5000	3538
P <sub>20</sub>	1.2338		24.7922	0.8746	1460	F53		8.8617	8.8617	1.0000	$\mathbf 0$
P <sub>21</sub>		11.6585	11.6585	1.0000	$\mathbf{0}$	F54		1.8328	10.6945	1.0000	$\epsilon$
P <sub>22</sub>		1.6223	13.2808	1.0000	$\mathbf{0}$	F55	10.6930		21.3876	0.5000	3559
P <sub>23</sub>	1.2652		14.5460	0.9130	1066	F56		9.3308	9.3308	1.0000	0
P <sub>24</sub>	1.8679		16.4139	0.8091	2132	F57		1.8078	11.1386	1.0000	$\mathbf 0$
P <sub>25</sub>	1.8711		18.2850	0.7263	2737	F58	4.7729		15.9115	0.7000	2721
P <sub>26</sub>	1.7719		20.0569	0.6622	3031	F59		9.4866	9.4866	1.0000	$\mathbf 0$
P <sub>27</sub>	2.0395		22.0964	0.6010	3221	F60		1.7614	11.2480	1.0000	$\mathbf 0$
P <sub>28</sub>	2.0190		24.1154	0.5507	3329	F61	7.4938		18.7418	0.6002	3349

No	$n_{\rm Cu}$	$n_{\rm Ag}$	$n_{\rm Cu} + n_{\rm Ae}$	
	(mmol)	(mmol)	(mmol)	
F1	47.2949		47.2949	
F <sub>2</sub>	1.9608		49.2557	
F <sub>3</sub>		2.5476	51.8032	
F <sub>4</sub>		2.9068	54.7100	
F <sub>5</sub>		3.2141	57.9241	
F <sub>6</sub>		3.6378	61.5619	
F7		4.1041	65.6660	
F8	31.5425		31.5425	
F9	1.9694		33.5119	
F10		6.0639	39.5758	
F11		6.0574	45.6332	
F12	25.2573		25.2573	
F13	2.1669		27.4242	
F14		3.7611	31.1853	
F15		4.4388	35.6241	
F <sub>16</sub>		5.2935	40.9176	
F17		7.2116	48.1291	
F18	47.8409		47.8409	
F <sub>19</sub>	1.9860		49.8269	
F20		1.0253	50.8522	
F21		1.0596	51.9119	
F22		1.0939	53.0058	



Table 3 Table 4 Preliminary results of enthalpies of mixing for Cu (liquid) + Au (liquid) Final results of enthalpies of mixing for Cu (liquid) + Au (liquid) at at  $1378 \pm 2$  K  $1375 \pm 2$  K

No	$n_{\rm Cu}$ (mmol)	$n_{\text{Au}}$ (mmol)	$n_{\text{Cu}}$ + $n_{\text{Au}}$ (mmol)	$X_{\text{Au}}$	$\Delta H_\text{mix}$ (J/mol)	No	$n_{\rm Cu}$ (mmol)	$n_{\text{Au}}$ (mmol)	$n_{\text{Cu}} + n_{\text{Au}}$ (mmol)	$X_{\text{Au}}$ $(mol\%)$	$\Delta H_\text{mix}$ (J/mol)
P <sub>1</sub>		10.9509	10.9509	1.0000	$\mathbf{0}$	F1	15.9979		15.9979	$\mathbf{0}$	$\overline{0}$
P2		0.6169	11.5678	1.0000	$\mathbf{0}$	F2	1.6508		17.6487	$\overline{0}$	$\overline{0}$
P <sub>3</sub>	0.8451		12.4129	0.9319	$-1678$	F3		0.8443	18.4929	0.0457	$-1309$
P4	0.8608		13.2737	0.8715	$-2820$	F <sub>4</sub>		1.0824	19.5754	0.0984	$-2608$
P <sub>5</sub>	1.1016		14.3753	0.8047	$-3930$	F <sub>5</sub>		1.2276	20.8030	0.1516	$-3807$
<b>P6</b>	1.0087		15.3840	0.7519	$-4764$	F <sub>6</sub>		1.2619	22.0649	0.2002	$-4706$
P7	1.1330		16.5170	0.7004	$-5501$	F7		1.4657	23.5306	0.2500	$-5538$
P8		10.7164	10.7164	1.0000	$\mathbf{0}$	F8		2.0425	25.5731	0.3099	$-6329$
P <sub>9</sub>		0.6260	11.3424	1.0000	$\mathbf{0}$	F <sub>9</sub>	12.7829		12.7829	$\mathbf{0}$	$\theta$
P10	0.9772		12.3196	0.9207	$-1742$	F10	1.6382		14.4211	$\Omega$	$\Omega$
P11	0.9946		13.3142	0.8519	$-3227$	F11		5.3131	19.7341	0.2692	$-5789$
P <sub>12</sub>	1.1472		14.4614	0.7843	$-4477$	F12		2.4502	22.1843	0.3499	$-6648$
P13	1.1645		15.6259	0.7259	$-5291$	F13		1.8689	24.0532	0.4005	$-6978$
P14	1.1991		16.8250	0.6741	$-5963$	F14		2.1803	26.2335	0.4503	$-7125$
P15	11.0393		11.0393	$\overline{0}$	$\theta$	F15		2.5911	28.8245	0.4997	$-7135$
P16	1.5485		12.5878	$\Omega$	$\Omega$	F16		12.0990	12.0990	1.0000	$\overline{0}$
P17		0.7001	13.2879	0.0527	$-1482$	F17		1.2614	13.3604	1.0000	$\Omega$
P18		0.9392	14.2271	0.1152	$-2959$	F18	1.4887		14.8491	0.8998	$-2213$
P19		0.9814	15.2085	0.1723	$-4247$	F19	1.8522		16.7013	0.8000	$-4037$
P <sub>20</sub>		0.9667	16.1751	0.2218	$-5213$	F <sub>20</sub>	2.3762		19.0775	0.7003	$-5511$
P21		0.8986	17.0737	0.2627	$-5873$	F21	3.2087		22.2862	0.5995	$-6589$
P22		1.0357	18.1094	0.3049	$-6403$	F <sub>22</sub>	2.0096		24.2958	0.5499	$-6962$
P <sub>23</sub>	19.9021		19.9021	$\overline{0}$	$\mathbf{0}$	F <sub>23</sub>	2.4234		26.7192	0.5000	$-7209$
P24	1.4950		21.3971	$\Omega$	$\Omega$	F <sub>24</sub>	13.2203		13.2203	$\overline{0}$	$\Omega$
P25		1.0920	22.4891	0.0486	$-1478$	F25	2.0001		15.2205	$\mathbf{0}$	$\overline{0}$
P <sub>26</sub>		1.1885	23.6776	0.0963	$-2810$	F <sub>26</sub>		3.1269	18.3474	0.1704	$-4105$
P27		1.1692	24.8468	0.1388	$-3728$	F27		2.5032	20.8506	0.2700	$-5834$
P28		1.2611	26.1079	0.1804	$-4573$	F <sub>28</sub>		2.5690	23.4196	0.3501	$-6774$
						F <sub>29</sub>		2.8370	26.2566	0.4203	$-7190$
						F30		2.4563	28.7129	0.4699	$-7294$
						F31		1.1357	29.8486	0.4901	$-7285$
obtained for these systems by the "solid drop" technique								12.4950	12.4950	1.0000	$\theta$
by Kleppa and Watanabe [1] and by Topor and Kleppa [2].								1.2525	13.7475	1.0000	$\overline{0}$
						F34	0.7648		14.5123	0.9473	$-1192$
			For the sake of simplicity, we will not compare our new			F35	1.6846		16.1969	0.8488	$-3241$



obtained for these systems by the "solid drop" technique F33 1.253 1.253 1.2525 1.2525 1.2525 1.0000 0 by Topor and Kleppa [2]. F4.5123 1.2512 0.7648 1.0000 0.7648 1.2123 0.7648 1.251 2.81 0.7648 1.2512 0.7648 1.251 21192 For the sake of simplicity, we will not compare our new  $F_5$ results with data other than those in [1] and [2]. Kleppa  $F36$  2.1355 18.3324 0.7499  $-4851$ and Watanabe [1] and Topor and Kleppa [2] already F37 2.8405 21.1728 0.6493  $-6142$ <br>
represent their data with again why is the literature F38 2.5273 23.7001 0.5801  $-6649$ compared their data with earlier values in the literature  $\begin{array}{cccc} F_{38} & 2.5273 & 23.7001 & 0.5801 & -6649 \\ F_{39} & 3.7894 & 27.4895 & 0.5001 & -7021 \end{array}$ 

The preliminary results and the final results are different for the following reasons:

All the results that are considered as final were obtained to the final calculated enthalpy values. C) The correction with a brand new Pt20Rh liner. The preliminary results for the heat of stirring in our preliminary experiments was were obtained with the old Pt20Rh liner. This liner was not accurate. This correction was measured in the leaking later proved to have a small leak in a position just above liner. To determine the heat generated by the stirring the the mixing device. The possible consequences of this leak hollow plug was moved up and down 25 times in a pool of may be summarized as follows. A) This leak may let small Cu in the inner BN crucible. The up and down movement amounts of air get into the liner of the calorimeter at high is in fact equivalent to switching the inner crucible temperatures. Therefore, when the calorimeter was cali- between closing and opening. This movement inevitably brated with pure copper, the copper might be slightly introduces more gas into the inner crucible. Hence, the oxidized, resulting in a small exothermic effect. Because heat of oxidation of copper is added to the effect of calibrations with pure copper always give rise to an stirring, which results in a numerically higher correction endothermic value, this exothermic effect may have low- value. This effect can be seen very clearly from a ered the calibration factor  $f_{Cu}$  (in counts/Joule). This may comparison between the heat of stirring corrections in the affect all the later enthalpy calculations. B) During experi-<br>old liner and in the new liner. With affect all the later enthalpy calculations. B) During experiments on Cu-containing systems, oxidation of Cu may a stirring heat correction of about  $-0.25$  J/stir; with the influence the total counts, thus adding an additional error new liner this correction was reduced to about  $-0.077$ 

Table 5 Table 6 Preliminary results of enthalpies of mixing for Ag (liquid) + Au (liquid) Final results of enthalpies of mixing for Ag (liquid) + Au (liquid) at at  $1378 \pm 2$  K  $1375 \pm 2$  K

No	$n_{Ag}$ (mmol)	$n_{\text{Au}}$ (mmol)	$n_{\text{Ag}} + n_{\text{Au}}$ (mmol)	$X_{\text{Au}}$	$\Delta H_{\text{mix}}$ (J/mol)	No	$n_{Ag}$ (mmol)	$n_{\text{Au}}$ (mmol)	$n_{\text{Ag}} + n_{\text{Au}}$ (mmol)	$X_{\text{Au}}$ $(mol\%)$	$\Delta H_\mathrm{mix}$ (J/mol)
P <sub>1</sub>	16.3614		16.3614	$\boldsymbol{0}$	$\mathbf{0}$	F1		10.2190	10.2190	1.0000	$\Omega$
P <sub>2</sub>	0.6397		17.0011	$\Omega$	$\Omega$	F2		1.0520	11.2710	1.0000	$\mathbf{0}$
P <sub>3</sub>		1.1184	18.1195	0.0617	$-910$	F <sub>3</sub>	1.2543		12.5253	0.8999	$-1490$
<b>P4</b>		1.2540	19.3735	0.1225	$-1723$	F4	1.5686		14.0938	0.7997	$-2746$
P <sub>5</sub>		1.0428	20.4163	0.1673	$-2266$	F <sub>5</sub>	2.0089		16.1028	0.6999	$-3580$
P <sub>6</sub>		1.1438	21.5601	0.2115	$-2792$	F <sub>6</sub>	2.6977		18.8005	0.5995	$-4115$
P7		1.6561	23.2162	0.2677	$-3238$	F7	3.7323		22.5328	0.5002	$-4327$
P <sub>8</sub>	13.3846		13.3846	$\mathbf{0}$	$\boldsymbol{0}$	F <sub>8</sub>		10.4901	10.4901	1.0000	$\overline{0}$
P <sub>9</sub>	0.8102		14.1948	$\overline{0}$	$\mathbf{0}$	F <sub>9</sub>		1.1535	11.6436	1.0000	$\mathbf{0}$
P10		0.8900	15.0848	0.0590	$-878$	F10	1.2970		12.9406	0.8998	$-1378$
P11		1.0509	16.1357	0.1203	$-1636$	F11	1.6307		14.5713	0.7991	$-2604$
P12		1.1398	17.2755	0.1783	$-2356$	F12	2.0711		16.6423	0.6996	$-3538$
P13		1.0748	18.3503	0.2265	$-2930$	F13	2.7673		19.4096	0.5999	$-4042$
P14		1.1423	19.4926	0.2718	$-3288$	F14	3.8705		23.2800	0.5002	$-4301$
P15		1.1555	21.8036	0.2960	$-3370$	F15	9.5663		9.5663	$\mathbf{0}$	$\theta$
P16		9.6634	9.6634	1.0000	$\mathbf{0}$	F16	1.8634		11.4297	$\overline{0}$	$\Omega$
P17		0.6346	10.2980	1.0000	$\theta$	F17		0.8575	12.2872	0.0698	$-1112$
P18	0.7240		11.0220	0.9343	$-1007$	F18		1.1677	13.4549	0.1505	$-2154$
P <sub>19</sub>	0.7110		11.7330	0.8777	$-1788$	F19		1.7856	15.2405	0.2500	$-3199$
P <sub>20</sub>	1.1366		12.8696	0.8002	$-2683$	F <sub>20</sub>		2.3430	17.5835	0.3500	$-3920$
P <sub>21</sub>	1.1245		13.9941	0.7359	$-3260$	F21		3.2579	20.8414	0.4516	$-4266$
P22	0.9919		14.9860	0.6872	$-3523$	F <sub>22</sub>	9.4755		9.4755	$\mathbf{0}$	$\theta$
P <sub>23</sub>		8.2058	8.2058	1.0000	$\mathbf{0}$	F <sub>23</sub>	1.9607		11.4362	$\overline{0}$	$\mathbf{0}$
P <sub>24</sub>		0.6874	8.8932	1.0000	$\theta$	F <sub>24</sub>		0.4917	11.9279	0.0412	$-660$
P <sub>25</sub>	1.1505		10.0437	0.8855	$-1638$	F25		0.8006	12.7285	0.1015	$-1607$
P <sub>26</sub>	1.4035		11.4472	0.7769	$-2851$	F <sub>26</sub>		1.5663	14.2948	0.2000	$-2761$
P27	1.4175		12.8647	0.6913	$-3594$	F <sub>27</sub>		2.0422	16.3370	0.3000	$-3683$
P <sub>28</sub>	1.5296		14.3943	0.6178	$-4015$	F <sub>28</sub>		2.7192	19.0563	0.3999	$-4248$
P <sub>29</sub>	1.5108		15.9045	0.5591	$-4222$						
P30	1.5176		17.4221	0.5104	$-4347$						

replace this tube quite frequently. This oxidation may also described by the following equation: have slightly influenced our heat of mixing measurements.<br>Because our new Pt20Rb liner eliminated this leak in our Because our new Pt20Rh liner eliminated this leak, in our final experiments the stainless steel tube came out from the calorimeter still shiny, indicating a negligible oxidation of

Our new results for heats of mixing,  $\Delta H_{\text{mix}}$ , and the interaction parameter  $\lambda$ . Kleppa and Watanabe's  $\lambda$  was



corresponding enthalpy interaction parameters  $\lambda$  ( $\lambda = \Delta H$ J/stir. This correction was used in the calculation of all the  $\frac{mix}{(X_{Cu}X_{Ag})}$  are plotted against alloy composition in Fig. final measurements. D) The stainless steel tube suffered 2. The previous values given by Kleppa and Watanabe [1] pronounced oxidation during our preliminary experiments are also shown in the same figure. The final results for the using the old liner. For this reason, we were forced to enthalpies of mixing for the Cu–Ag system can be

$$
\Delta H_{\text{mix}} = X_{\text{Cu}} X_{\text{Ag}} (16\ 959 - 7\ 620 X_{\text{Ag}} + 4\ 287 X_{\text{Ag}}^2) \text{ J/mol}
$$
\n(2)

the tube.<br> **Example 2** shows that our final results for  $\Delta H_{\text{mix}}$  are in very<br> **Another difference between our preliminary and final** good agreement with the preliminary values in the comgood agreement with the preliminary values in the comexperiments was in the reaction time setting. All the final position range from  $X_{Ag} = 0.66$  to  $X_{Ag} = 1.00$ , but are more experiments were set to react for 2000 s and 2000-s endothermic from  $X_{Ag} = 0$  to  $X_{Ag} = 0.66$ . This difference calibration factors were also used. However, in our pre- may well be caused by the slight oxidation of Cu in our liminary experiments the reaction time was sometimes set preliminary experiments, which were carried out in the old for a somewhat shorter time. leaking liner. Our final results for  $\Delta H_{\text{mix}}$  are in reasonable agreement with the values of Kleppa and Watanabe [1] for 3.1. *The Cu–Ag system* low values of  $X_{Ag}$ , and are slightly more endothermic for high values of  $X_{\text{Ag}}$ . However, in the middle of the system Tables 1 and 2 give the results of our new experiments both our preliminary and final results are somewhat less in detail. In these tables, as in all later tables, the endothermic than those determined by Kleppa and preliminary experiments are prefixed with the letter P, Watanabe. Significant difference between our results and while the final experiments are prefixed with the letter F. those of Kleppa and Watanabe is seen in the enthalpy



Fig. 2. Molar enthalpy of mixing (upper figure) and the enthalpy interaction parameter (lower figure) in the liquid system of Cu–Ag. The solid curve in the heat of mixing figure is calculated from Eq. (2).

presented as a linear function of composition, while our  $\lambda$  3.2. *The Cu–Au system* shows a definite nonlinear character. This reflects the fact that in-situ liquid–liquid mixing is more sensitive to details Our new experimental data are listed in Tables 3 and 4.

of the dependence of the enthalpy interaction parameter on The enthalpy of mixing,  $\Delta H_{\text{mix}}$ , and the enthalpy inter-<br>composition.<br> $\lambda$ , are also shown graphically in Fig. 3 action parameter,  $\lambda$ , are also shown graphically in Fig. 3



Fig. 3. Molar enthalpy of mixing (upper figure) and the enthalpy interaction parameter (lower figure) in the liquid system of Cu–Au. The solid curve in the heat of mixing figure is calculated from Eq. (3).

along with the earlier data of Topor and Kleppa [2]. Both  $X_{Au} = 0.3$  our final results are slightly less exothermic than from the tables and from the figure we see that the our preliminary results. The previous values pu agreement between our preliminary and final values of Topor and Kleppa [2] are, in general, in good agreement  $\Delta H_{\text{mix}}$  is generally good for alloy compositions ranging with our final results, but are somewhat less exothermic from  $X_{\text{avg}} = 0.68$  to  $X_{\text{avg}} = 1.00$ . However, from  $X_{\text{avg}} = 0.1$  to over the whole range of compos from  $X_{\text{Au}} = 0.68$  to  $X_{\text{Au}} = 1.00$ . However, from  $X_{\text{Au}} = 0.1$  to

our preliminary results. The previous values published by



Fig. 4. Molar enthalpy of mixing (upper figure) and the enthalpy interaction parameter (lower figure) in the liquid system of Ag–Au. The solid curve in the heat of mixing figure is calculated from Eq. (6).

$$
\Delta H_{\text{mix}} = X_{\text{Cu}} X_{\text{Au}} (-29\ 506 - 2\ 616 X_{\text{Au}} + 9\ 360 X_{\text{Au}}^2) \text{ J/mol}
$$
\n(3)

The enthalpies of mixing for liquid alloys of Cu with Au It is well known that negative enthalpies of mixing can be described by the analytical expression indicate a tendency toward short-range order in the solution. This phenomenon can be described by the quasi-<br>chemical theory [14], which also predicts a nonlinear dependence of the enthalpy interaction parameter on composition. The observed negative enthalpy data in the  $X_{\text{Au}} = 1.00$ , but are more exothermic between  $X_{\text{Au}} = 0$  and present work are consistent with the fact that ordering is  $X_{Au} = 0.50$ . The heats of mixing can be described by the observed in the solid solution of Cu-Au at lower tempera-<br>following Eq.: observed in the solid solution of Cu–Au at lower temperatures where the ordered compounds  $Cu<sub>3</sub>Au$ , CuAu and CuAu<sub>3</sub> are formed. As for the enthalpy interaction parameter,  $\lambda$ , our preliminary values failed to show an obvious nonlinear dependence on the composition. However, our final experiments reveal a definite nonlinear curve, very It is interesting to mention how the value of the heat of similar to that indicated by the results of Topor and Kleppa mixing in this system has changed with time since the [2]. This nonlinear curve clearly indicates that certain early 1930s. In the first high temperature calorimetric aspects of quasi-chemical theory [14] should apply to the study carried out at 1473 K, Kawakami [15] found that the Cu–Au system, as already suggested by Topor and Kleppa heats of mixing for both Cu–Ag and Ag–Au were close to [2]. It is also interesting to see from Fig. 3 that our curve 0. Years later Wagner [16] pointed out that the accepted for  $\lambda$  is essentially parallel to the curve given by Topor and phase diagram for Ag–Au was not in accord with the then Kleppa [2]. It implies that there is only a small systematic available thermodynamic properties of solid and liquid shift in the heat of mixing from the values of Topor and alloys in this system. Six years later, Kleppa [17] showed Kleppa [2] to our final values. that the difference between the free energies of formation

Kleppa [2] estimated the nearest neighbor coordination be compatible with the narrow liquidus–solidus gap that number, z, in liquid Cu–Au alloys from the following was predicted by Wagner [16]. Consequently, they must equation: both be negative since the enthalpies of mixing for the

$$
z \approx -\frac{2\lambda^2}{cRT} \tag{4}
$$

temperature, while  $\lambda$  is the average value of the enthalpy difference is observed in the enthalpy interaction parameinteraction parameter, which equals to  $a + \frac{b}{2}$ , and a, b and  $c$  are all the coefficients in the following equation:

$$
\Delta H_{\text{mix}} = X_{\text{Au}} (1 - X_{\text{Au}}) [a + bX_{\text{Au}} + cX_{\text{Au}} (1 - X_{\text{Au}})] \tag{5}
$$

value of  $z$  somewhat lower than 12. A comparable value not as yet been observed. should be found in liquid copper–gold alloys. The value of Using the quasi-chemical theory, we also carried out a<br>z actually calculated from the experimental enthalpy of calculation of z the nearest neighbor coordination *z* actually calculated from the experimental enthalpy of calculation of *z*, the nearest neighbor coordination number, mixing data in [2] was 11.7. This is probably too high, but from our experimental enthalpy of mixing mixing data in [2] was 11.7. This is probably too high, but from our experimental enthalpy of mixing data for Ag–Au<br>is in reasonable agreement with our expectation. From the liquid alloys. The result was  $z \approx 10.1$  in rem new experimental results, the calculated value of  $z \approx 12.8$ , agreement with our expectation. Since this system is also is in fair agreement with the expectation. Note, energetically nearly symmetrical the estimate of  $\lambda$ also is in fair agreement with the expectation. Note, energetically nearly symmetrical, the estimate of  $\lambda \approx a + \frac{b}{2}$ however, that the Cu–Au system is energetically very is more realistic than for the Cu–Au system. asymmetrical. Therefore, the estimate of  $\lambda \approx a + \frac{b}{2}$  is somewhat uncertain.

## 3.3. *The Ag*–*Au system*

in Tables 5 and 6. The heats of mixing,  $\Delta H_{\text{mix}}$ , and the that our in-situ mixing technique is a better method to enthalpy interaction parameters,  $\lambda$ , are plotted against the determine the liquid–liquid heats of mixi enthalpy interaction parameters,  $\lambda$ , are plotted against the liquid alloy composition in Fig. 4. For this system, our temperatures than the traditional ''solid drop'' technique. It preliminary results are very close to the values published has, for example, allowed us to obtain good information on by Topor and Kleppa [2] in the composition ranges from the nonlinear character of the enthalpy interaction parame- $X_{\text{Au}} = 0$  to about 0.30 and from  $X_{\text{Au}} = 0.70$  to 1.00, but are ters for all the three liquid alloy systems. Moreover, the more exothermic in the middle of the system. Our final in-situ technique has the following ad more exothermic in the middle of the system. Our final results are in excellent agreement with our preliminary A) It avoids the introduction of errors associated with the results in the composition range between  $X_{\text{Au}} = 0.50$  and heat contents of dropped solid samples. This is particularly

$$
\Delta H_{\text{mix}} = X_{\text{Ag}} X_{\text{Au}} (-16,803 - 3,233 X_{\text{Au}} + 4,525 X_{\text{Au}}^2) \text{ J/mol}
$$
\n(6)

Based on the quasi-chemical theory [14], Topor and of the solid alloy and the liquid alloy must be very small to liquid alloys are negative. The study by Topor and Kleppa  $[2]$  showed negative enthalpies of mixing for liquid Ag-Au alloys, which are in reasonable agreement with our new Here,  $R$  is the gas constant,  $T$  is the thermodynamic data. However, as in the system Cu–Ag, a significant ters. Topor and Kleppa's  $\lambda$  was presented as a linear function of the alloy composition, while our  $\lambda$  is a nonlinear function (see Fig. 4). This nonlinear dependence suggests the possible presence of short-range order in the liquid alloys and one should also expect some ordering to As mentioned in [2] for closed-packed liquid metals, take place in the solid Ag–Au alloys at low temperatures. such as pure copper and pure gold, one would expect a However, to the best of our knowledge this ordering has

liquid alloys. The result was  $z \approx 10.1$ , in remarkably good

### **4. Concluding remarks**

It is apparent from this reinvestigation of the heats of The results of our experiments on this system are listed mixing of the liquid alloys Cu–Ag, Cu–Au and Ag–Au,

important when small heats of mixing are involved. B) It **References** enables us to work on quite small samples. This is especially meaningful when hazardous materials (say, [1] O.J. Kleppa, S. Watanabe, Met. Trans. 13B (1982) 391-401. radioactive elements) are involved. C) This technique may [2] L. Topor, O.J. Kleppa, Met. Trans. 15A (1984) 203–208.<br>[3] R. Hultgren, P.D. Desai, D.T. Hawkins, M. Gleiser, K.K. Kelley, also be used to measure the heat effects associated with  $\frac{[3]}{[3]}$  R. Hultgren, P.D. Desai, D.T. Hawkins, M. Gleiser, K.K. Kelley, D.D. Wagman, Selected Values of Thermodynamic Properties of the dissolution of solid metals and alloys in appropriate liquid Elements, ASM, Metal Park, 1973. metals. However, our in-situ technique also has some [4] O.J. Kleppa, L. Topor, Thermochim. Acta 139 (1989) 291–297.<br>
restrictions. The most important restriction is that only [5] R.A. Oriani, W.K. Murphy, J. Phys. Chem. 6 those metals that do not wet boron nitride (BN) in the [6] R.N. Dokken, J.F. Elliott, Trans. TMS-AIME 233 (1965) 1351–<br>limid at the sense in investigated Also sense well difference. [358] liquid state can be investigated. Also, any small difference<br>in temperature (in our case about 1.5 K) between the upper<br>position and the lower position of the hollow plug in the<br>real R.A. Oriani, Acta Met. 4 (1956) 15–25. calorimeter may give rise to small errors in the measure- 2989. ments when the plug is moved up and down. Finally, our [10] A. Neckel, S. Wagner, Ber. Bunsenges. Phys. Chem. 73 (1969) present construction of the in-situ mixing device does not<br>allow a large amount of liquid solvent to be used in the  $\frac{210-217}{383-389}$ .<br>experiments. [12] IP Hager S.M. Howard J.H. Jones Met Trans 1 (1970) 415–422

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